

Bioengineering 278

Magnetic Resonance Imaging

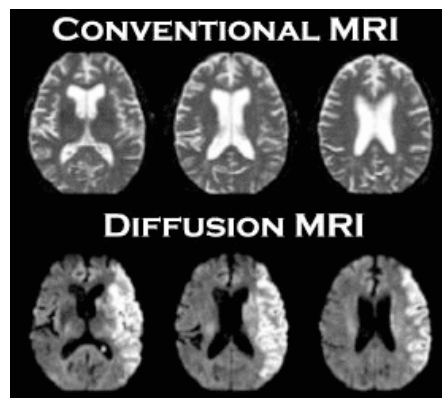
Winter 2009
Lecture 9

- Diffusion Imaging
 - Diffusion Basics
 - Diffusion in a Gradient Field
 - Anisotropic Diffusion
 - Fiber Tract Mapping

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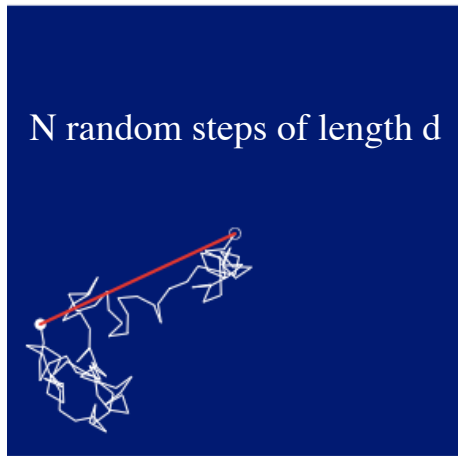
Diffusion Imaging

- Quantitative measure of local self diffusion coefficient
- Measurement in multiple directions gives information on diffusion anisotropy and fiber orientation
- Uses:
 - Clinical applications in stroke and white matter disease
 - White matter fiber tract mapping (anatomical connectivity)

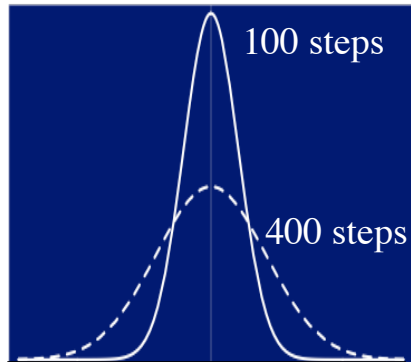


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Diffusion

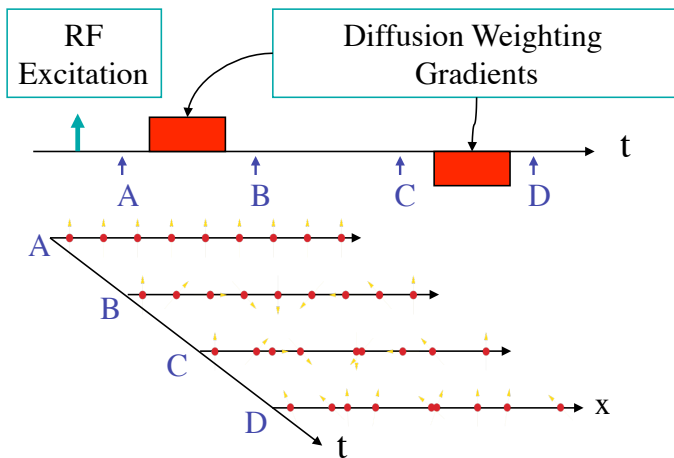


$$\overline{\Delta x^2} = Nd^2 = 2DT$$

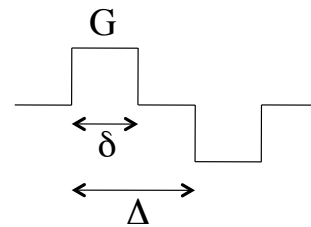


In brain:
 $D \approx 0.001 \text{ mm}^2/\text{s}$
 For $T=100 \text{ msec}$,
 $\Delta x \approx 15 \mu$

Signal Attenuation by Diffusion



Bipolar Gradient:



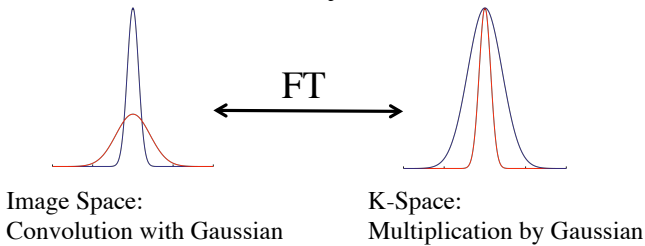
$$S = S_0 e^{-bD}$$

$$b = \gamma^2 G^2 \delta^2 (\Delta - \delta/3)$$

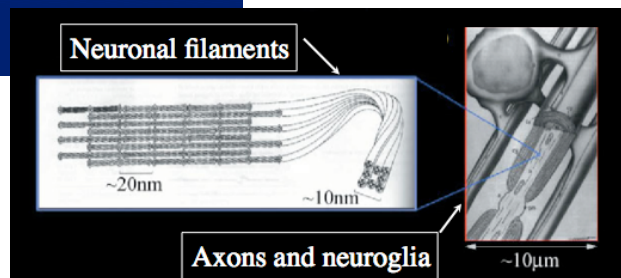
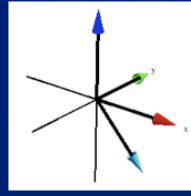
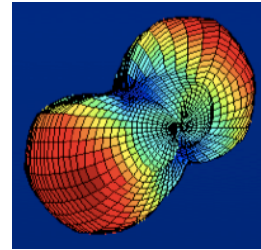
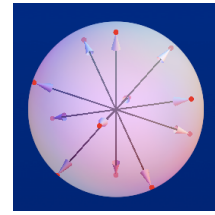
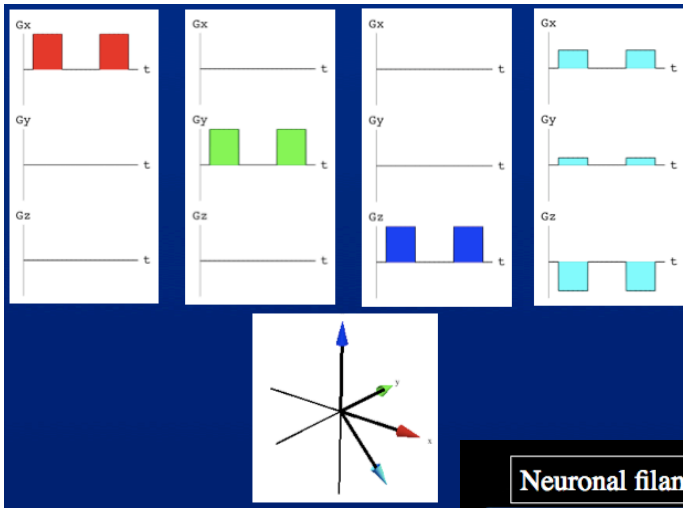
In General:

$$S(t) = S_0 e^{-\int_0^t k(t') \cdot D \cdot k(t') dt'}$$

$$k(t) = \gamma \int_0^t G(t') dt'$$



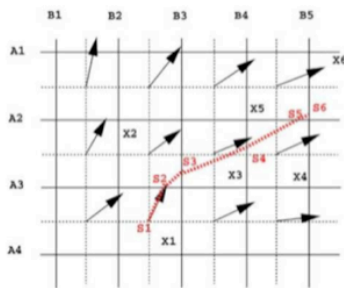
Anisotropic Diffusion



Slide credit: L. Frank

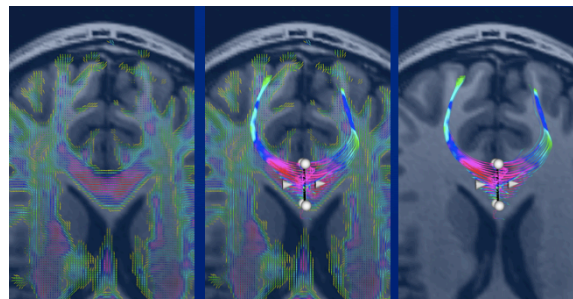
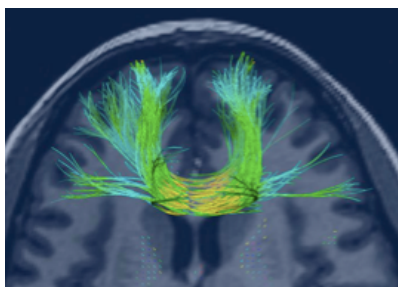
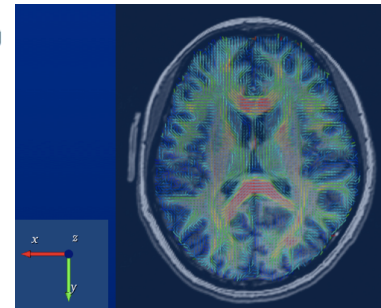
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Anisotropic Diffusion



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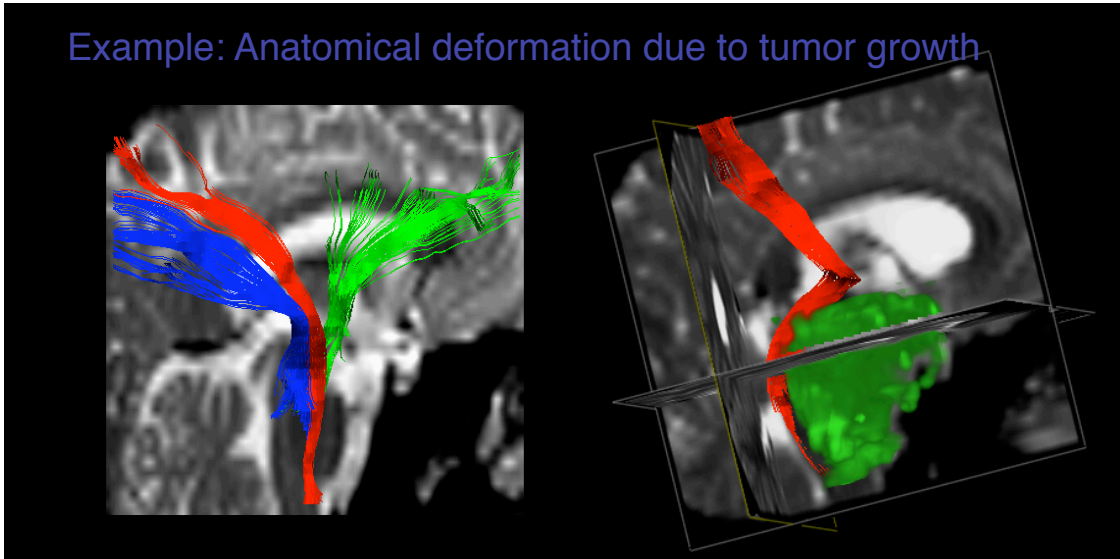
- Reconstruct a 3D trajectory by starting from a seed point and always proceeding in the direction of the principal eigenvector, which corresponds to the largest eigenvalue.
- Black arrows: principal eigenvector field.
- Red dashed route: generated fiber track.



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Anatomical guidance:

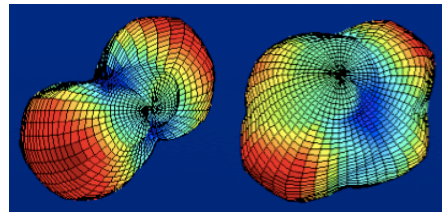
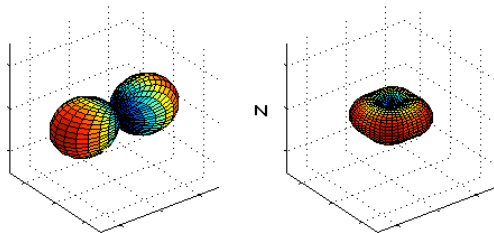
Example: Anatomical deformation due to tumor growth



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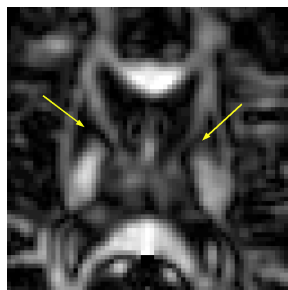
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Diffusion - Fiber Crossings

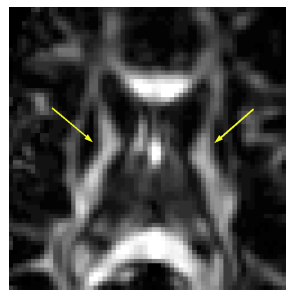


Corpus Callosum

Corona Radiata



Relative Anisotropy



Directional Variance